# Molossus + Bacchius in the New Stesichorus Fragment (P.Lille 76abc) 

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The new poem by Stesichorus in dactylo-epitrites presents in the epodic clausula a metrical sequence ---v--, which I have called molossus + bacchius, ${ }^{1}$ a terminology which I subsequently sought to confirm and elucidate in my recent paper on the prehistory and formation of the hexameter: ${ }^{2}$ "Resta infine la stretta concordanza con l'Erifile nel nesso ---u-- (in clausola epodica) che io ho descritto come $m o l+b a$, lasciando aperto il problema della sua valenza temporale con ritmi trocaici e giambici. Non credo all'ipotesi avanzata da Haslam, di ravvisarvi un aristofanio con longum in luogo del biceps -u-v-- : proprio nello stesso Stesicoro, fr.223,4 P., l'aristofanio ricorre nella forma consueta coriambo baccheo - $-\cdots$ - - in combinazione con l'enoplio e non in clausola strofica:

Now M. Haslam in a recent article in this journal writes: ${ }^{3}$ "I certainly cannot accept Gentili's molossus + bacchiac (ap. ed.pr. 350) as a meaningful analysis-does Stesichorus deal in such entities?" Such a judgement appears inconsistent with Mr Haslam's description (p.36) of the structure ---u-- in terms of the usual Maasian symbols $--e-$, spondee + cretic + long syllable, which seem to me devoid of meaning. Furthermore he writes (pp.37-38): "Supposing that the second long syllable could not be true longum, I suggested that it was contracted biceps, though I expressed unease over its failure to take the lighter, disyllabic form ["Stesichorean Metre," QuadUrbCC 17 (1974) 37f]. Now that we have two or three more examples (210, 231, $294 \Theta_{\uparrow} \eta(\underline{\alpha}!$. [) , the second syllable being every time long, this suggestion loses whatever plausibility it may

[^0]have had. The verse is just - - - - - , scarcely to be 'analysed' at all. It is a peculiarly dragging line, I daresay devised by Stesichorus himself for its weightiness: an authentic Stesichorean curiosity."

Therefore if the second long syllable of the structure in question is a true long (and what else could it be?), since it occurs again at vv. 210, 231 and 294 of the new poem, the hypothesis that the whole sequence is an aristophanean ( $-\pi-\sim--$ ), as Haslam suggested, must be abandoned. As a result, no other possibility of analyzing the structure under discussion would exist: we would have to surmise that we are faced with a 'dragging' verse, ${ }^{4}$ whose slow heavy rhythm had somehow stimulated the fancy of the poet. Leaving aside such ungrounded hypotheses, however, one must point out that on p. 37 n. 16 Haslam has indeed suggested a line of interpretation by correctly comparing Pindar, Pyth. 1 str. 3, which is composed in dactyloepitrites, $---v----$. This he describes with the usual symbols propounded by Maas as $--e-e$; but in fact it is nothing other than molossus + bacchius + cretic, a metrico-rhythmic figure which, with respect to the Stesichorean dimeter, ${ }^{5}$ has been increased by one metron, the cretic.

As is well known, the molossus is at home among the bacchii and cretics, and by reason of its 'temporal' value (six tempora) is often associated with iambic, trochaic, ionic and choriambic metra:

Simon. fr.521.4 P. ov̈ $\tau \omega c \dot{\alpha} \mu \epsilon \tau \dot{\alpha} \subset \tau \alpha c \iota c$

$$
---\cup-\cup-\text { mol ia }
$$

Timoth. Pers. 103 (791 P.) $\gamma \circ \eta \tau \alpha i ~ \theta \rho \eta \nu \omega ́ \delta \epsilon \iota ~ \kappa \alpha \tau \epsilon i \chi o \nu \tau$ ' ó $\delta \nu \rho \mu \hat{\omega}$
---|---|--v-- ba mol ba ba
preceded by ba ia ia ia, followed by glyc ( $\sim \cup \sim-\cup \cup-\sim 0) .{ }^{6}$


-     -         - | $000-\cup-$ mol ia ba (dim $i a_{\text {A }}$ )

[^1]Aesch．Sept． $321 \sim 333$ oiкт $\rho \grave{\nu} \nu \gamma \dot{\alpha} \rho \pi o ́ \lambda \iota \nu ~ \hat{\omega} \delta^{\prime} \omega ่ \gamma v \gamma i \alpha \nu$ －－－uvー—uレー mol ion ion＾
Aesch．Sept． 120 ＇A $\operatorname{s\gamma \epsilon îo\iota ~\gamma \grave {\alpha }\rho \pi ó\lambda \iota c\mu \alpha ~K\alpha ́\delta \mu ov~}$
－－－｜－v－vーー mol cr ba（ithyph）
$123 \mu \iota \nu$ v́povi $\alpha \iota$ фóvov $\chi \alpha \lambda \iota \nu o i ́$
$\cup-$－$-\mid \cup-$ ba cr ba（ithyph）
$126 \pi \rho о с і с \tau \alpha \nu \tau \alpha \iota \pi \alpha \dot{\alpha} \lambda \omega \lambda \alpha \chi$ óv $\tau \epsilon \subset$ $\cup---v-\mid \cup--\quad$ ba or ba（ithyph）
Dochmiac series are inserted between the three verses．


$$
\times---\cup \cup-- \text { mol cho ba (aristoph) }
$$

Note the alternation mol $\sim b a$ in responsion．
 ov̉ $\delta^{\prime} \dot{\alpha} \pi \alpha \lambda \alpha \iota \grave{\alpha} \chi \alpha \lambda \kappa o ́ \pi \lambda \alpha \kappa \tau о с \dot{\alpha} \mu \phi \alpha ́ \kappa \eta \subset \gamma^{\prime} \nu v \subset$
－－－－－－－ia ia
$----\cup-\mid$ mol cr
－－－－－－－ia ia
$\times ー ー ー \cup \backsim \| \quad b a(\sim m o l) c r$
Here mol cr and bacr are obviously the contracted or syncopated forms of the iambic dimeter acatalectic and have been unanimously interpreted as such by W．Kraus ${ }^{7}$ and H．A．Pohlsander．${ }^{8}$ It is in fact an instance of two iambic tetrameters：

Soph．Trach． $523 \mathrm{f} \dot{\alpha} \delta^{\prime} \epsilon \dot{v} \omega \bar{\omega} \pi \iota \dot{\alpha} \beta \rho \alpha^{\prime}$
$\tau \eta \lambda \alpha v \gamma \epsilon \hat{\imath} \pi \alpha \rho^{\prime}$ o้ $\chi \theta \omega$

The two lines conclude a dactylo－epitrite period：

$$
\begin{aligned}
& \checkmark-v-v--\mid \quad e n h \\
& \cup \cup----\cup v-u v--\mid \quad \text { ion enh } \\
& -v----v u-v v--\mid \text { epitr enh } \\
& \cdots v--\quad u-v u-\text { - ion hem } f
\end{aligned}
$$

The second of these two schemes appears already in Pindar，Pyth．9，str． 1 and 3．In this case also mol $b a$ is unanimously interpreted as a syncopated form of the iambic dimeter catalectic．${ }^{9}$

[^2]From this rapid and basic list of examples, which could be extended to include also Pindar's dactylo-epitrites (I shall discuss this elsewhere), two factors emerge with indisputable clarity: the rhythmical ambivalence of the molossus and the function of the dimeter $m o l+b a \sim \operatorname{dim} i a_{\wedge}$.

Now if we take into account the structure of the strophic clausula in the poem on the Lille papyrus: $\times-v-v-v-x$ ia + reiz ( $\sim \operatorname{dim}$ ia hypercat), ${ }^{10}$ we are justified in maintaining that in the epodic clausula the molossus must be understood as a contracted form of the iambic epitrite and that the whole verse is the equivalent of the iambic dimeter catalectic-a structure which fulfils the function of the clausula suited to a dactylo-epitrite context, just as in Sophocles' Trachiniae.

Many years ago I was of the opinion that molossus + bacchius and molossus + iambic monometer ${ }^{11}$ were to be identified as forms of the ithyphallic and of the lecythian with a long syllable in the second sedes in place of the short $-x-v--,-x-v-v-.^{12}$ Such identification was already maintained by O. Schroeder, ${ }^{13}$ at least for the molossus + iambic monometer. Haslam seems to assent to this thesis, though his formulation is not clear. ${ }^{14} \mathrm{I}$ am no longer confident as to the correctness of this hypothesis. Certainly the verse in Alcman fr. 14 P. $x-v-v \mid-x-v--$, which appears to have the scheme reiz+ithyph, would be a strong argument in favour of the identity of mol $b a$ with the ithyphallic if there were not other equally persuasive solutions possible. ${ }^{15}$

I believe that I have demonstrated that the nexus molossus+ bacchius is not just a Stesichorean curiosity but a rhythmic figure well attested in Greek poetry-and a very ancient one, as is proved by the new poems of Stesichorus.

It is significant that it is precisely in a Sicilian ode, Pythian 1, written for Hiero and in dactylo-epitrites, that Pindar has introduced

[^3]two elements typical of the metrical style of Stesichorus, who lived and worked at Himera: the so-called disyllabic anceps (str. 6 $-u v-v u-u-u v-u v--v--)^{16}$ and the trimeter $--\quad$ $\checkmark--\quad \cup-$ (str. 3), which in its first two metra repeats the very scheme of Stesichorus' dimeter.

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[^0]:    ${ }^{1}$ Ap. ed.pr. (CRIPEL 4 [1976] 287ff) 350.
    ${ }^{2}$ QuadUrbCC 26 (1977) 12.
    3 "The Versification of the New Stesichorus (P.Lille 76abc)," GRBS 19 (1978) 37 n. 17.

[^1]:    ${ }^{4}$ For the benefit of non-specialists I may indicate that the term is usual in the metrical studies of Miss A. M. Dale.
    ${ }^{5}$ See in Pindar also the following equivalent structures: trimeter $u \sim-\cup-\quad$ (Ol. $13 \mathrm{ep.6}$ ), and dimeters $\cup v-\cup--,-\cup-\cup--$ (Isthm. 3/4 str. 5; Nem. 11 ep .6 ). In place of the molossus these have in the first metron the ionic a min. and the trochaic epitrite.
    ${ }^{6}$ For the colometry $c f$. Wilamowitz, Timotheos, Die Perser (Leipzig 1903) p. 31 ; Diehl, Anth.lyr.Gr. II ${ }^{2}$ p.185. Page's colometry is implausible.

[^2]:    ${ }^{7}$ Strophengestaltung in der griechischen Tragödie（SitzWien 231．4，1957） 152.
    ${ }^{8}$ Metrical Studies in the Lyrics of Sophocles（Leiden 1964） 53.
    ${ }^{9}$ Cf．O．Schroeder，Sophoclis cantica（Leipzig 1907）46：＂dimetra duo iambica（molosso－ bacchea）＇，Pohlsander，op．cit．（supra n．8） 137.

[^3]:    ${ }^{10} C f$. Gentili, op.cit. (supra n.2) $10,14,16$.
    ${ }^{11} C f$. Simon. fr.521.4, quoted above.
    ${ }^{12}$ B. Gentili, Metrica dei Greci (Messina 1950, repr. 1958) 101, 158; idem, Polinnia. Poesia greca arcaica ${ }^{2}$ (Messina/Firenze 1965) 325.
    ${ }^{13}$ Grundriss der griechischen Versgeschichte (Heidelberg 1930) 83.
    ${ }^{14}$ Art.cit. (supra n.3) 37 n .16 : "the verse [mol + ba] is reminiscent [italics mine] of the ithyphallic..., which often serves as a dactylo-epitrite clausula in tragedy (and $c f$. Simonides PMG 76.7)."
    ${ }^{15}$ R. Pretagostini, QuadUrbCC 26 (1977) 72.

